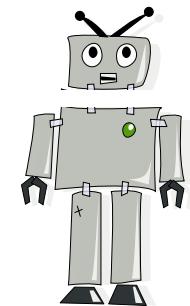


Plánování v robotice



Tomáš Effenberger

Jak dobrými řidiči
jsou lidé?



1,24 milionu mrtvých



Jak dobrými řidiči
jsou roboti?

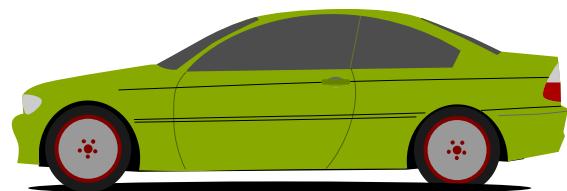
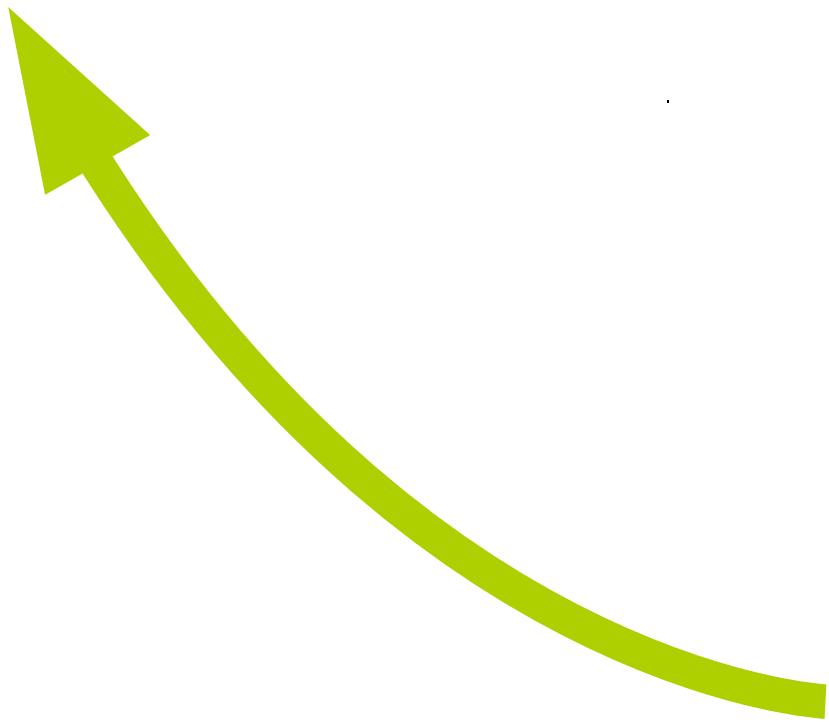


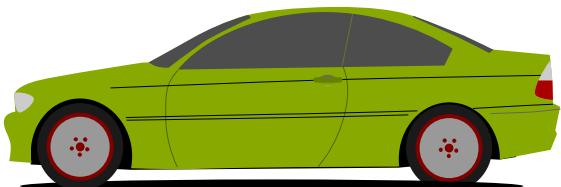
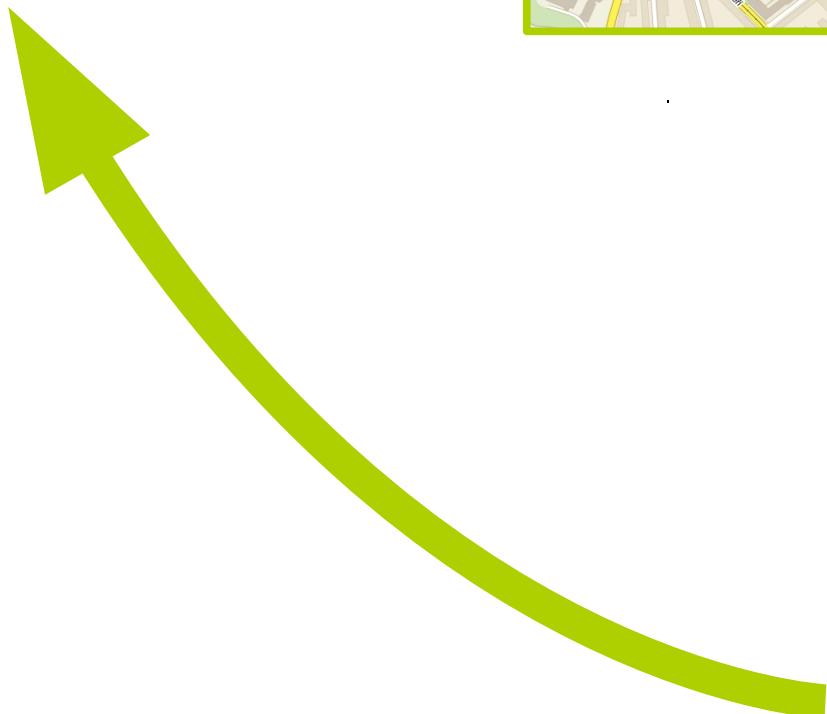
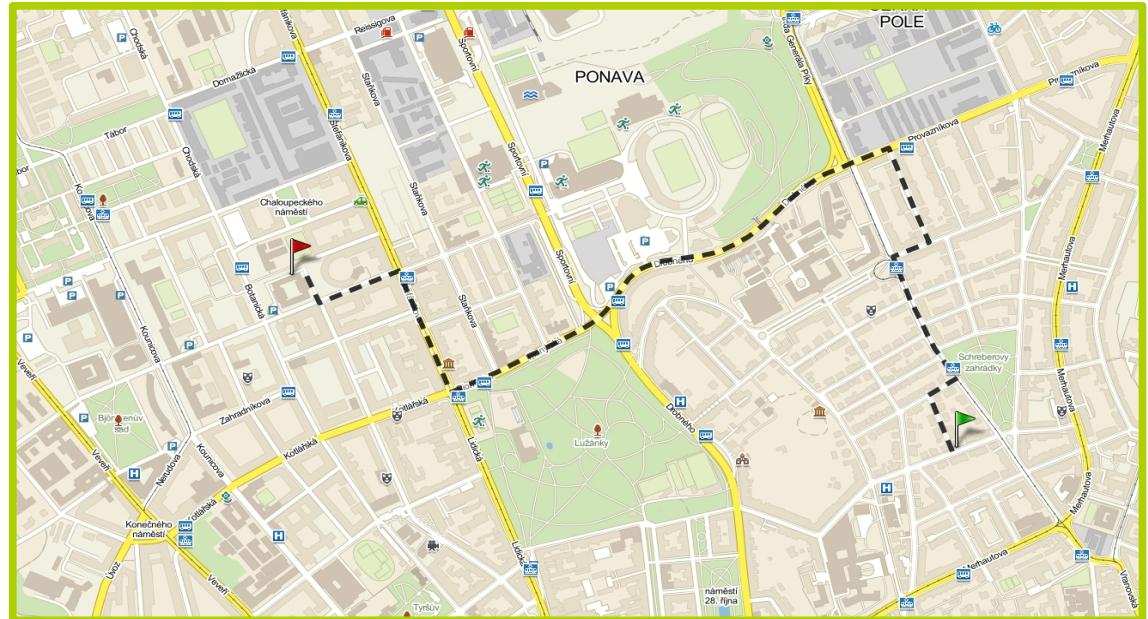
JUN ALUMBERI
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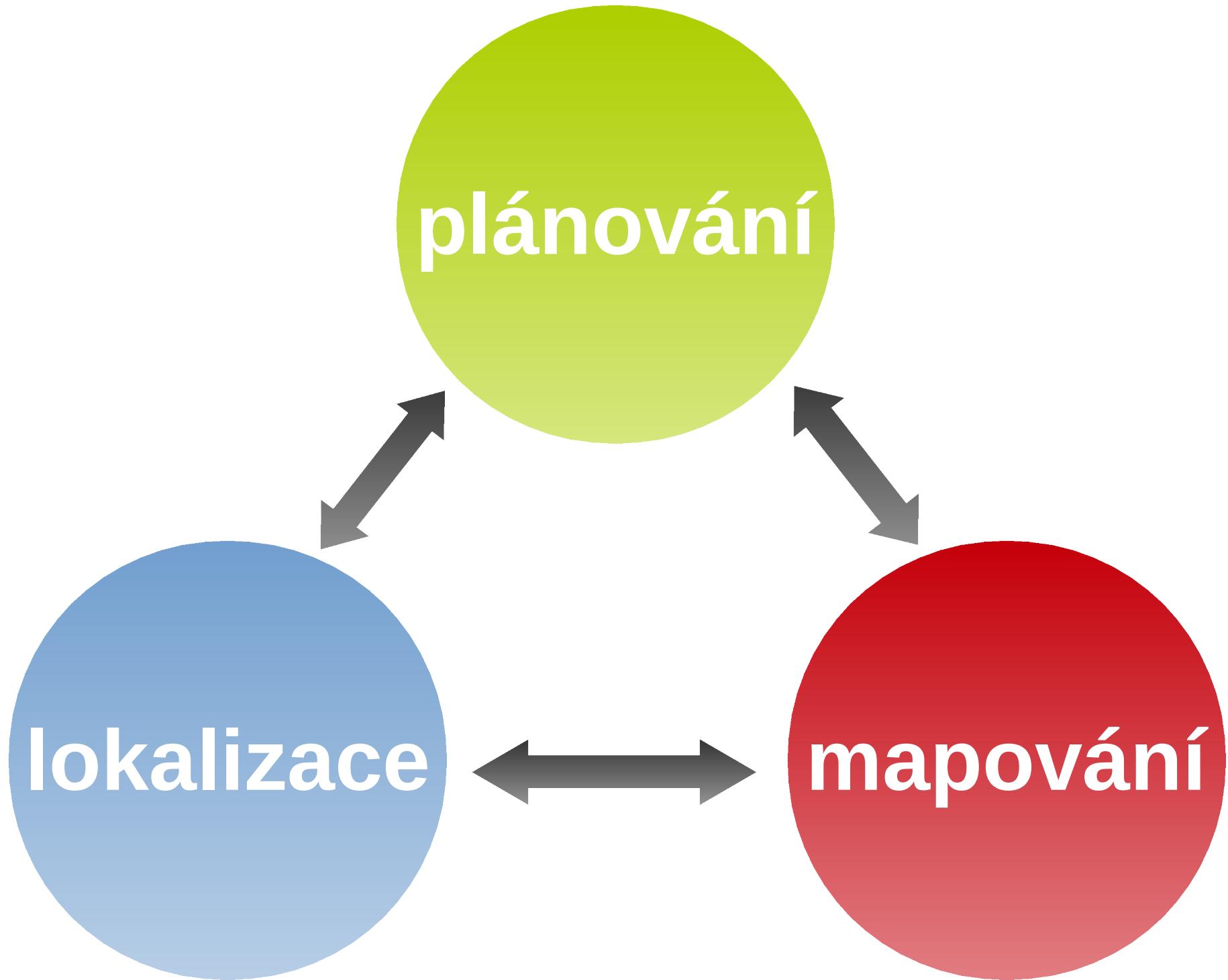
6TNB644

na prodej od roku 2020



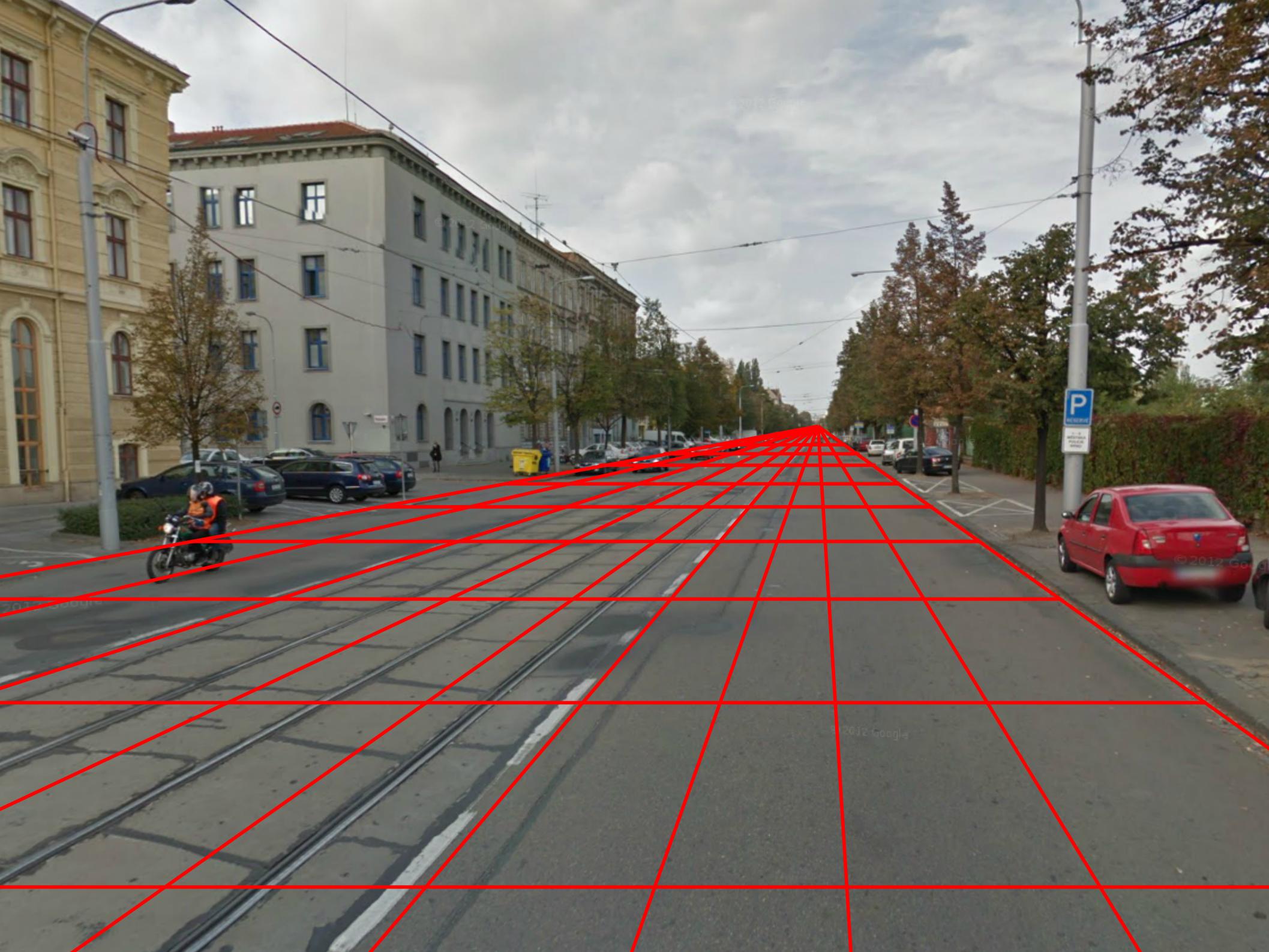


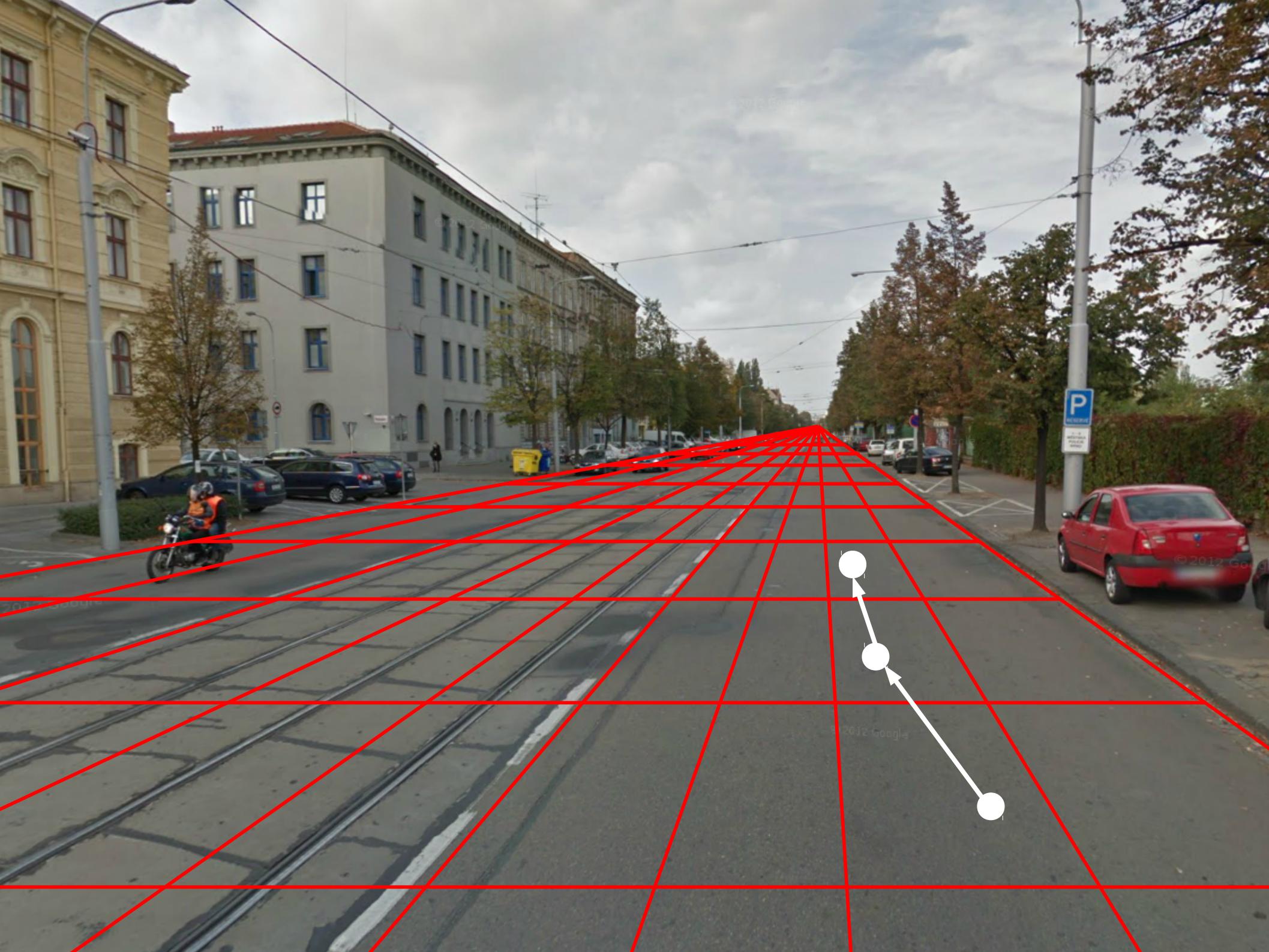


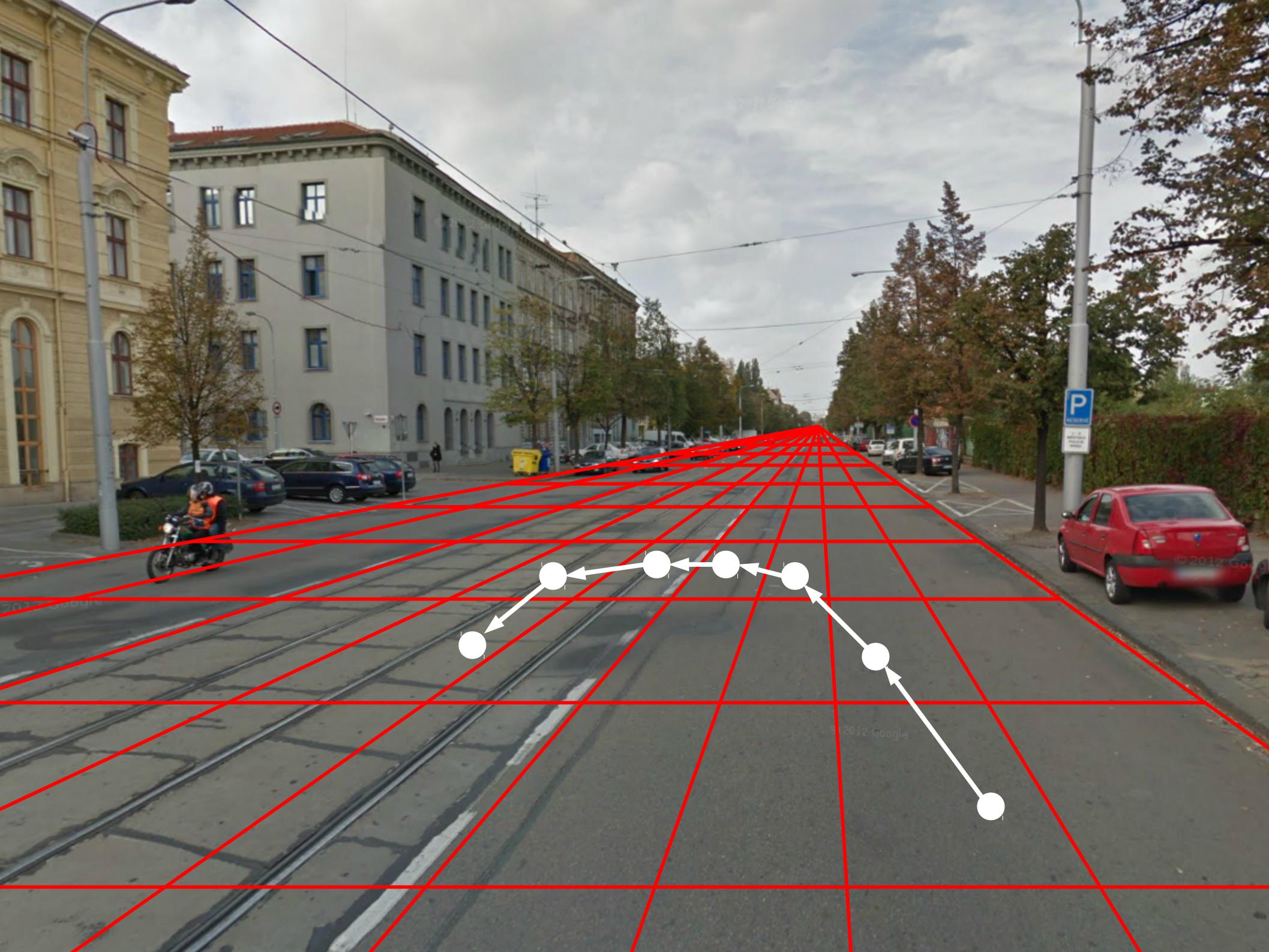


$\psi(g) = g$ $g = \text{Dlog } f_u$ $\iff \exists | \mathcal{L}_E(\rho)$ $M = X(E)$
 $T_p: V_e \rightarrow V_e$ $f'(T_p) = 1 \text{ on } V_E$ $\frac{\pi - \alpha + p^e y}{(\pi - \lambda_b + p^e z)}$ $X(\sigma)$
 $x^2 + ax + b$ $x^2 + x + 1$ $\forall_{x \in E}$ V for some $u?$ $\lambda, \sigma_j(x), \dots, \sigma_n(x) = 0$ $\forall j$ $\int \psi dN(x, p) = \sum \psi \text{ and find } N$
 $+ \frac{\alpha}{1+\alpha}$ $\bigoplus (\mu_{F^\infty})^{H(G)}$ $\cup_{\alpha} \tilde{E} = \tilde{\mathbb{X}}(x^0, x^0, \dots, x^0)$ $x^1 + x + 1 = Q$ $S_s \hookrightarrow S_s =$
 $\frac{x^2 + z^2}{x^2 + 1} = \alpha \frac{(x^2 + 1)}{(x^2 + 1)}$ $(xy)^m = \lim_{n \rightarrow \infty} (x^{\lfloor m \rfloor} + y^{\lfloor m \rfloor})^n$ $x^2 + x + 1$ $g(\varepsilon - 1) = m$ $\rightarrow \Theta^2$
 $\Delta(1)$ $F(\mu_p) \rightarrow H^1(\Gamma, M^\vee) \rightarrow H^1(G, M^\vee) \rightarrow H^2(\Gamma, M^\vee) \rightarrow H^2(\Gamma, M^\vee)$ $x = y + 1$ $\zeta_v(E, 1) \bigg| \frac{-1}{\zeta_p(x)} \bigg| \frac{1}{x}$
 $\sum_{n \geq 0} A_{G,p}^n = \sum_{n \geq 0} a_n \tau^n = \sum_{n \geq 0} \tau^n$ $\frac{(\lambda + \sqrt{2})}{2}$ $\frac{(\lambda - \sqrt{2})}{2}$ $\frac{\alpha^2 + 2\alpha}{\alpha + 1}$ $T = \sum a_i T^i$
 $\bigoplus_{\alpha} D = (1+T) \frac{d}{dT}$ $N(\text{tame}) = \sum_{i=0}^{\infty} (-1)^i \binom{p-1}{i}$ $\zeta_p(x) = \frac{1}{x} \bigg| \frac{1}{x-1} \bigg| \frac{1}{x-2} \bigg| \dots \bigg| \frac{1}{x-p+1} \bigg| \frac{1}{x-p} \bigg| \dots$
 $0 \rightarrow \text{shel}(E/K^\infty)^\Delta \rightarrow H^1(G(K^\infty), \mathbb{Q}_{p,\infty})^\Delta \rightarrow$ $H^1(E) \hookrightarrow \frac{1}{p} \mathbb{Z}_p^\times \otimes \mathbb{Q}_p^\times$ $\det(1 - T \Phi|_P)$ $\leq \gamma^{x_1 + x_2}$ $\text{Gal}(F_p, F) = G \times \mathbb{Z}_p^\times$
 $\uparrow \alpha$ $\uparrow \beta$ $\text{shel}(E/K^\infty)^\Delta \rightarrow H^1(G(K^\infty), \mathbb{Q}_{p,\infty})^\Delta \rightarrow H^1(E) \rightarrow H^1(E, \mathbb{Q}_p) \rightarrow H^1(E, \mathbb{Z}_p) \rightarrow$
 $\lambda(\Sigma)$ $H^1(E) \hookrightarrow \frac{1}{p} \mathbb{Z}_p^\times \otimes \mathbb{Q}_p^\times$ $\det(1 - T \Phi|_P)$ $\text{Gal}(F_p, F) = G \times \mathbb{Z}_p^\times$
 $\psi(f)(1+T) \left(\sum_{n \geq 0} a_n \tau^n \right) = \det(1 - T \Phi|_P)$ $A = \sum a_n \tau^n$ $\text{shel}(E/K^\infty)^\Delta \rightarrow H^1(E, \mathbb{Q}_p) \rightarrow H^1(E, \mathbb{Z}_p) \rightarrow$
 $\text{shel}(E/K^\infty)^\Delta \rightarrow H^1(E, \mathbb{Q}_p) \rightarrow H^1(E, \mathbb{Z}_p) \rightarrow$ $\int(X) = \frac{p(X)}{q(X)}$ $\Gamma \cong \frac{1}{q(x)} - \frac{1}{p(x)}$
 $N(\beta) = 2 \cdot 3 \cdot 5 \cdot \dots$ $\int(X) = \frac{p(X)}{q(X)}$ $\psi = \frac{1}{p(x)} - \frac{1}{q(x)}$
 $\text{ker}(f) \subseteq H^1(\Delta, E/\overline{K^\infty})$ $|f| = \sqrt{\lambda} \cdot \sqrt{A \cdot \psi}$ $\lambda + \mu = \frac{\lambda + \mu}{\sqrt{\lambda + \mu}}$ $\det(X, \delta) \neq 1 \Rightarrow \psi(x) = 0$ G_K/F
 $\rightarrow \text{ker}(f)$ $Q_p(f) = \frac{p - \alpha}{p - \beta}$ $\text{ker}(f) = \text{ker}(f) \cap \text{ker}(f)$ $\int \psi dN(\bar{x}, p) = 0$ $\text{ker}(f) = \text{ker}(f)$





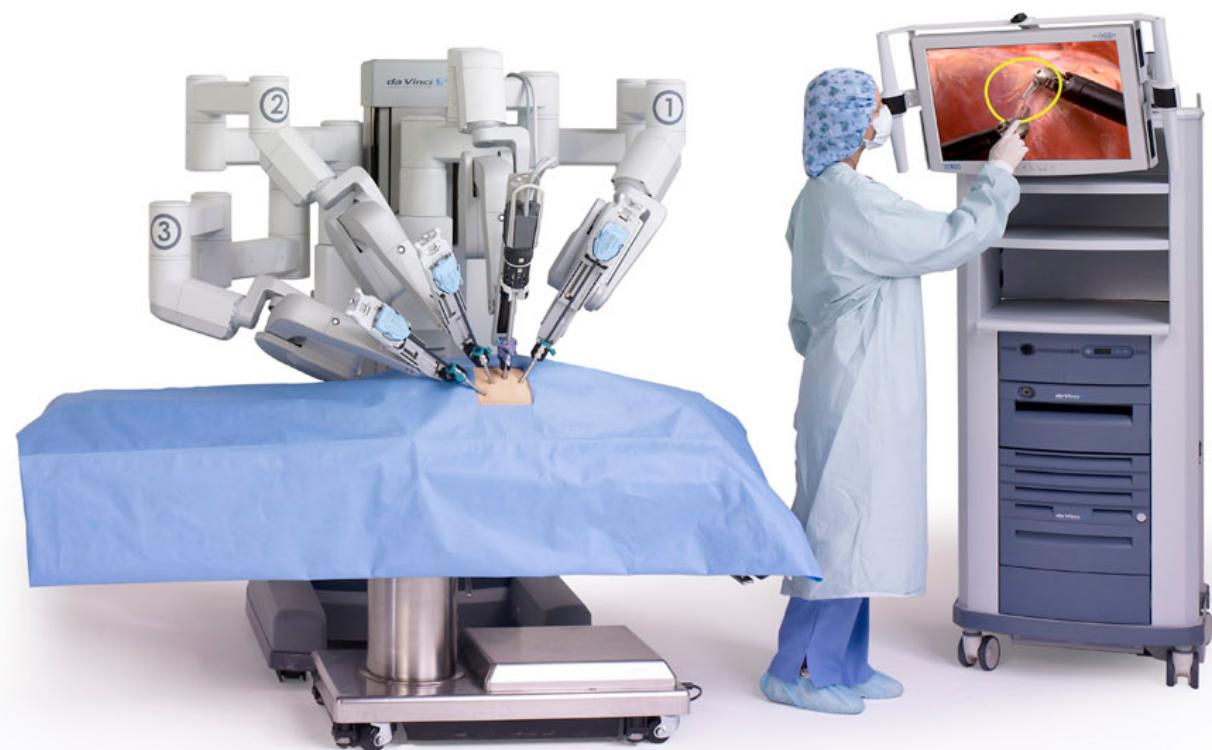




P
NEBOVÍT

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Robotická chirurgie



Robotický vysavač



RoboCup



Zdroje

- Robot: *Openclipart*,
<http://openclipart.org/detail/60415/cartoon-robot-by-rg1024>
- Autonehoda: *Wikimedia Commons*,
http://commons.wikimedia.org/wiki/File:Car_crash_1.jpg
- Google autonomní auto: *Wikimedia Commons*,
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- Vizualizace Fakulty informatiky: *Cerit*,
<http://www.cerit.cz/cs/cerit-sp/Building/>
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<https://maps.google.cz/>
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<http://txcolorectal.com/robotic-surgery/>
- Robotický vysavač Roomba: *iRobot*,
<http://www.irobot.cz/roboticke-vysavace/roomba-790.html>
- RoboCup: *RoboCup Dutch Open*,
<http://www.robocupdutchopen.org/robocup>