

# 07 – Topic Identification, Topic Modeling

## IA161 Natural Language Processing in Practice

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## 1 Topic Modeling

## 2 Topic Modeling Approaches

- Latent Semantic Analysis – LSA
- Latent Dirichlet Allocation – LDA
- Topic Modeling with Word Embeddings

## 3 Topic Labeling

## 4 Topic Evaluation

## 5 Topic Modeling Modules

- `gensim` – getting started with LSA and LDA

wrongkiss attentive waitnight visit town two highseat  
 sitnicebusy minute leave start drive  
 friendlyfriend live hand longfire staffyear  
 waitress fastfun peoplespot cut last first strip  
 enjoy drink dinner flavor bar big full weekworth top new  
 fry tabledish henderson japanese area  
 ambianceedamame lunch hot riceserve another huge large offer  
 quicktasty tempurasalad super fantastic couple item  
 yummy yellowtail sashimi salmon specialtybetter review  
 happy nigirikimono pack shrimp excellent badawesome

spotnigh  
 mealricew  
 dish  
 optionyea  
 flavorportion  
 ambiance piece  
 friend  
 attentive  
 area to  
 waitre

# Topic modeling

- **organize, summarize, and understand** large collections of documents with **no a priori knowledge**
- discover unknown **topical patterns** in collection of documents
- dimensionality reduction – instead of taking into account every word in the document, take into account only words representing the document topics
- **topic** – group of **related** words representing concepts (→ document tagging)
- statistical, unsupervised modeling

# Topic Modeling and Topic Classification

**topic modeling** – find document representation by discovering topics present in the document + how much they are present (e.g. 10% horror, 70% fun, 25% Australia, 30% nature)

**topic classification** – categorize documents into a set of (predefined) topics

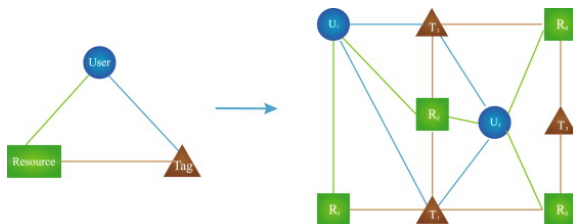
- supervised method
- best approach is to train for a specific set of documents, e.g.,
  - ▶ cluster company documents into invoices, contracts, purchase orders, delivery notes, other
  - ▶ cluster customer emails into customer complaints, request for contract end, relocation notice, other

# Topic Modeling – Applications

- recommender systems
- document classification (one or more categories a document fits into)
- bio-informatics (interpret biological data)
- chatbots, topic tracking in dialogues
- document summarization (via topic names, a document is seen as a collection of topics, each with a weight)

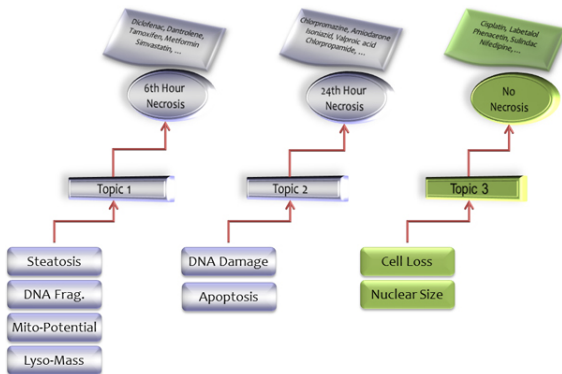
# Recommender Systems

- recommend the best product for the user
- clusters of users, based on preference
- clusters of products
- Netflix prize



# Bio-informatics

- categorize patients into risk groups based on text protocols
- detect common genomic features based on gene sequence data
- group drugs by diagnosis





# Topic Modeling Approaches

- Latent Semantic Analysis, Latent Semantic Indexing (LSA/LSI) – matrix factorization
- Probabilistic Latent Semantic Analysis (pLSA) – probabilistic decomposition
- Latent Dirichlet Allocation (LDA) – iterative probabilistic method
- other decomposition techniques (e.g., Non-negative Matrix Factorization, NMF)
- other clustering techniques (e.g., k-means of word vectors)

# Latent Semantic Analysis

Works because the **distributional hypothesis** works.

*... words that occur in the same contexts tend to have similar meanings*

*(Harris, 1954)<sup>1</sup>*

LSA computes how frequently words occur in:

- documents
- the whole corpus

... and assumes that **similar** documents have **similar distribution of word frequencies**

(syntax + semantics are ignored)

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<sup>1</sup>[https://aclweb.org/aclwiki/Distributional\\_Hypothesis](https://aclweb.org/aclwiki/Distributional_Hypothesis)

# Latent Semantic Analysis

- **document** = bag of words
- **vector representation** of documents
- compare by vector distance (angle)
- **topic** = set of words

See [Ioana, 2020] for detailed explanation.

# LSA – step 1

- count **document-term matrix** (word frequency in documents)
- rows = term (words or multi-word expressions), columns = documents
- *sparse matrix*

term	D1	D2	D3	D4	D5	D6	D7	D8
abnormality	0	0	0	1	0	1	1	0
blood	0	1	1	2	1	0	1	1
culture	3	0	0	0	0	0	0	0
disease	0	2	3	0	1	1	0	0
rate	0	3	7	0	0	3	1	0

## LSA – step 2

- **weighting** matrix elements
- most popular **TF-IDF**  
(Term Frequency  $\times$  Inverse Document Frequency)
- term occurring in many documents is not interesting for analysis

word	D1	D2	D3	D4	D5	D6	D7	D8
abnormality	0	0	0	.6	0	.3	.5	0
blood	0	.1	.01	.4	.2	0	.2	.4
culture	.8	0	0	0	0	0	0	0
disease	0	.3	.1	0	.2	.03	0	0
rate	0	.8	.04	0	0	.2	.01	0

## LSA – step 3

- **Singular Value Decomposition** (SVD), suitable decomposition for sparse data  
document-term matrix  $X$  ( $m \times n$ ) is decomposed into the product of 3 matrices  $X = U\Sigma V$ , where
  - ▶  $U$  – term-topic matrix  $m \times m$
  - ▶  $V$  – document-topic matrix  $n \times n$
  - ▶  $\Sigma$  – diagonal matrix $U, V$  are **unitary matrices** ( $AA^T = I$ ,  $I$  – identity matrix)

# SVD $X = U\Sigma V$

$$X = \begin{pmatrix} 0 & 0 & 0 & .6 & 0 & .3 & .5 & 0 \\ 0 & .1 & .01 & .4 & .2 & 0 & .2 & .4 \\ .8 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & .3 & .1 & 0 & .2 & .03 & 0 & 0 \\ 0 & .8 & .04 & 0 & 0 & .2 & .01 & 0 \end{pmatrix}$$

← document-term matrix

$$U = \begin{pmatrix} 0.72 & 0.44 & 0. & -0.52 & 0.13 \\ 0.51 & 0.2 & -0. & 0.81 & -0.21 \\ 0. & -0. & 1. & 0. & -0. \\ 0.18 & -0.32 & -0. & 0.2 & 0.91 \\ 0.44 & -0.81 & -0. & -0.17 & -0.34 \end{pmatrix}$$

← term-topic matrix

$$V = \begin{pmatrix} 0. & 0.46 & 0.04 & 0.64 & 0.14 & 0.31 & 0.47 & 0.21 \\ -0. & -0.85 & -0.07 & 0.41 & -0.03 & -0.05 & 0.3 & 0.09 \\ 1. & -0. & -0. & 0. & -0. & 0. & 0. & -0. \\ 0. & 0.01 & 0.05 & 0.02 & 0.46 & -0.42 & -0.23 & 0.74 \\ -0. & -0.1 & 0.41 & -0.04 & 0.76 & -0.01 & 0.1 & -0.47 \\ -0. & -0.17 & -0.38 & -0.21 & 0.33 & 0.77 & -0.21 & 0.2 \\ 0. & 0.03 & -0.2 & -0.58 & 0.07 & -0.12 & 0.76 & 0.15 \\ 0. & -0.13 & 0.79 & -0.22 & -0.26 & 0.35 & 0.06 & 0.34 \end{pmatrix}$$

✓ document similarity matrix

$$\text{SVD } X = U\Sigma V$$

$$\Sigma = \begin{pmatrix} 0.99 & 0. & 0. & 0. & 0. & 0. & 0. & 0. \\ 0. & 0.85 & 0. & 0. & 0. & 0. & 0. & 0. \\ 0. & 0. & 0.8 & 0. & 0. & 0. & 0. & 0. \\ 0. & 0. & 0. & 0.44 & 0. & 0. & 0. & 0. \\ 0. & 0. & 0. & 0. & 0.18 & 0. & 0. & 0. \end{pmatrix}$$



## LSA – step 4

dimensionality reduction: throw away rows and columns of the matrices<sup>2</sup>

$\sigma = (0.99, 0.85, 0.8, 0.44, 0.18)$

Keep first  $t$  singular values (and therefore first  $t$  columns from  $U$  + first  $t$  rows from  $V$ )

$t = 3$

$$U = \begin{pmatrix} 0.72 & 0.44 & 0. \\ 0.51 & 0.2 & -0. \\ 0. & -0. & 1. \\ 0.18 & -0.32 & -0. \\ 0.44 & -0.81 & -0. \end{pmatrix}$$

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(check **absolute values**)

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<sup>2</sup>see Truncated SVD <https://scikit-learn.org/stable/modules/generated/sklearn.decomposition.TruncatedSVD.html>

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$$U = \begin{pmatrix} 0.72 & 0.44 & 0. \\ 0.51 & 0.2 & -0. \\ 0. & -0. & \textcolor{red}{1.} \\ 0.18 & -0.32 & -0. \\ 0.44 & -0.81 & -0. \end{pmatrix} \begin{matrix} \text{abnormality} \\ \text{blood} \\ \text{culture} \\ \text{disease} \\ \text{rate} \end{matrix}$$

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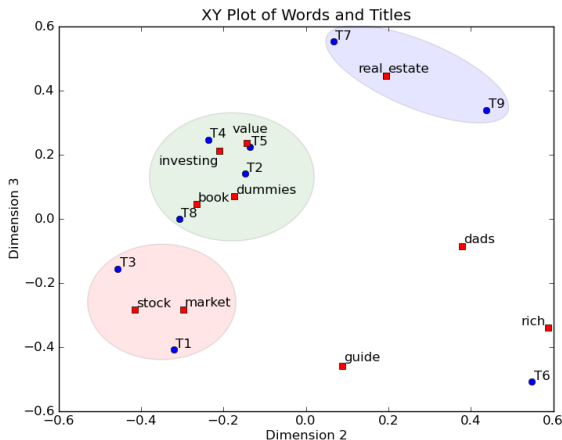
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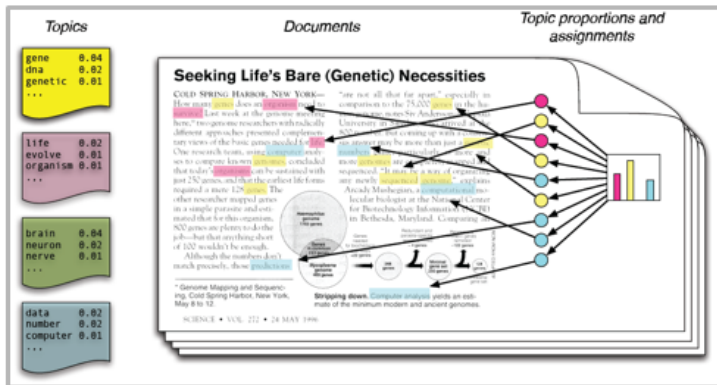
## LSA – step 5

cluster close vectors (documents and terms)



# Latent Dirichlet Allocation

- same assumptions as in LSA (distributional hypothesis + mixture of topics in one document)
- each document is a **mix of topics**
- LDA discovers topics and their ratio
- each word in document was **generated** by one of the topics



## Example

Document 1: I like to eat **broccoli** and **bananas**.

Document 2: I ate a **banana** and spinach smoothie for **breakfast**.

Document 3: **Chinchillas** and **kittens** are **cute**.

Document 4: My sister adopted a **kitten** yesterday.

Document 5: Look at this **cute hamster munching** on a piece of **broccoli**.

## Example

**Topic A:** 30% broccoli, 15% bananas, 10% breakfast, 10% munching

**Topic B:** 20% chinchillas, 20% kittens, 20% cute, 15% hamster

## Example

Document 1 and 2: 100% Topic A

Document 3 and 4: 100% Topic B

Document 5: 53% Topic A, 47% Topic B



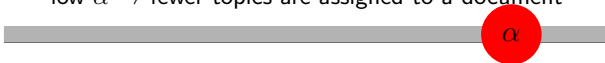
# LDA process

- pick **fixed number** of topics  $K$
- for each document  $d \in D$ , randomly assign topic to each word
- improve, for each document  $d$ :
  - ▶ for each word  $w$  and topic  $t$ :
  - ▶ assume **all topic assignments are correct, except for current word**
  - ▶ calculate  $p(\text{topic } t | \text{document } d)$  – how many words in document have topic  $t$ ?
  - ▶ calculate  $p(\text{word } w | \text{topic } t)$  – how many assignments to topic  $t$  for word  $w$ ?
  - ▶ new topic: probability  $p(\text{topic } t | \text{document } d) \times p(\text{word } w | \text{topic } t)$
- repeat and reach almost steady state

# LDA – generative probabilistic model

parametrized vectors of topics and documents  
( $\alpha$  and  $\beta$  are **concentration** parameters)

low  $\alpha \rightarrow$  fewer topics are assigned to a document



low  $\beta \rightarrow$  fewer words model a topic



# LDA Output

$\psi$  – the distribution of words for each topic  $k \in K$

$\phi$  – the distribution of topics for each document  $d \in D$

Vector containing coverage of every topic for the document

$d_1 = [0.3, 0.4, 0.1, \dots]$

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Vector containing coverage of every topic for the document

$d_1 = [0.3, 0.4, 0.1, \dots]$

Topical characteristic of the corpus

# LSA and LDA: Similarities and differences

- preprocessing: lowercase, punctuation removal, stopwords removal, (stemming or lemmatization))
- both LDA and LSA ignore the syntactic structure
- the number of topics  $k$  is the input parameter
- LDA assumes arrangements of the words (n-grams)
- LDA assumes distribution of words in topics and distribution of topics in documents are **Dirichlet** distributions → topics might be more transparent
- output: wordcloud
- topic labels are difficult (and not part of LSA/LDA)

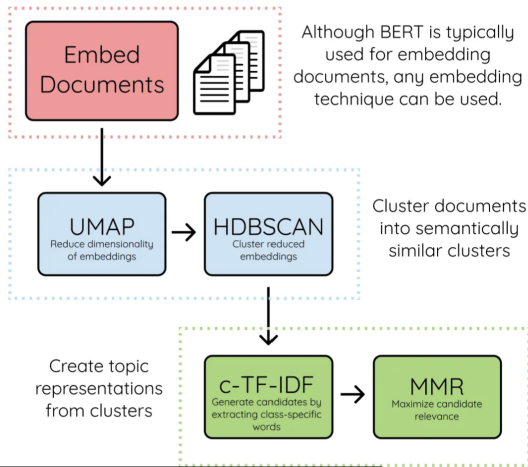
# Weaknesses of LSA and LDA

predefined number of topics, wordlist (stopwords),  
stemming/lemmatization, ignore text structure

- Hierarchical Dirichlet Process (HDP) – unknown number of topics
- top2vec: word + document embeddings [Angelov, 2020] – captures the document semantics using word embeddings
- BERTopic – c-TF-IDF (class-based TF-IDF) + embeddings + document structure

# BERTopic

- not a single algorithm
- parametrized: topics, hierarchical topics, semi-supervised (guided)

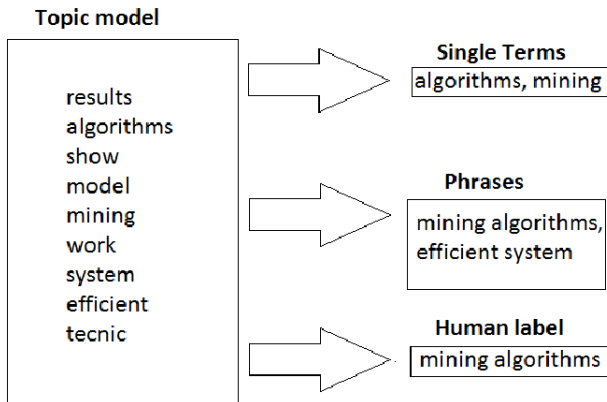


<sup>3</sup><https://medium.com/data-reply-it-datatech/bertopic-topic-modeling-as-you-have-never-seen-it-before-abb48bbab2b2>

# Topic Labeling

represent topic with human-friendly label from the label set of the topic

- find Wikipedia articles based on word list
- document summarization from topic documents



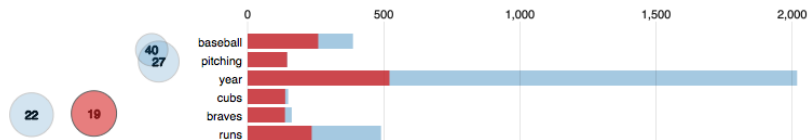


# Topic Evaluation Methods

Good topics = interpretable topics

Evaluation methods comprise:

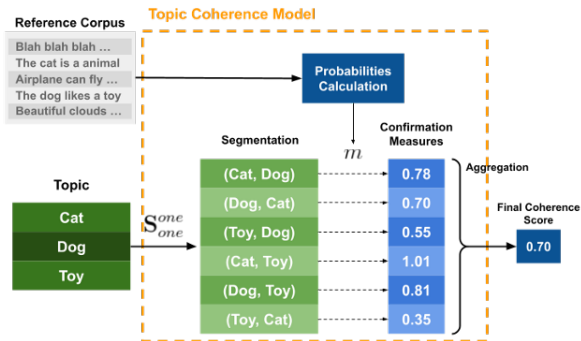
- eyeballing – pyLDAvis
- human judgement
- intrinsic methods – perplexity, coherence measures
- extrinsic methods – how does the resulting model influence subsequent task



# Topic Coherence

measuring score for single topic quality by semantic similarity between words in topic [Röder et al., 2015]

- Segmentation – segment topic into pairs of word subset
- Probability Estimation – probability of words in documents
- Confirmation Measure – “how well” one subset support the other
- Aggregation – compute single score (e.g. by arithmetic mean)



# Gensim – LSA

```
gensim.models.lsimodel.LsiModel(corpus=None,  
num_topics=200, id2word=None, chunksize=20000, decay=1.0,  
distributed=False, onepass=True, power_iters=2,  
extra_samples=100)
```

- `chunksize` – number of documents in memory (more documents, more memory)
- `decay` – newly added documents are more important?
- `power_iters` – more iterations improve accuracy, but lower performance
- `onepass` – False to use multi-pass algorithm, for static data increase accuracy

## Gensim – LDA

```
gensim.models.ldamodel.LdaModel(corpus=None,  
num_topics=100, id2word=None, distributed=False,  
chunksize=2000, passes=1, update_every=1,  
alpha='symmetric', eta=None, decay=0.5, offset=1.0,  
eval_every=10, iterations=50, gamma_threshold=0.001,  
minimum_probability=0.01, random_state=None, ns_conf=None,  
minimum_phi_value=0.01, per_word_topics=False)
```

- `chunksize` – number of documents in memory (more documents, more memory)
- `update_every` – number of chunks before moving to next step
- `chunksize=100k`, `update_every=1` equals to `chunksize=50k`, `update_every=2` (saves memory)
- `decay` – newly added documents are more important?
- `alpha`, `eta` – preset expected topics and word probability for start
- `eval_every` – log perplexity is estimated after `x` updates (lower number, slower training)

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